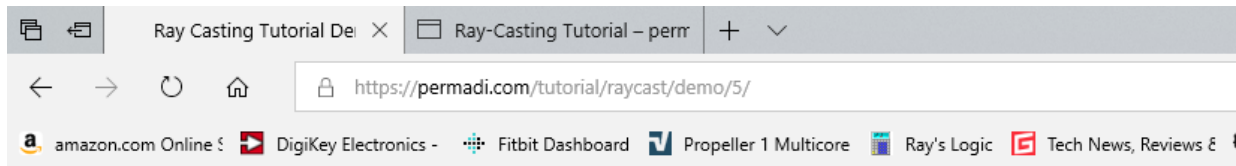


Raycasting Notes

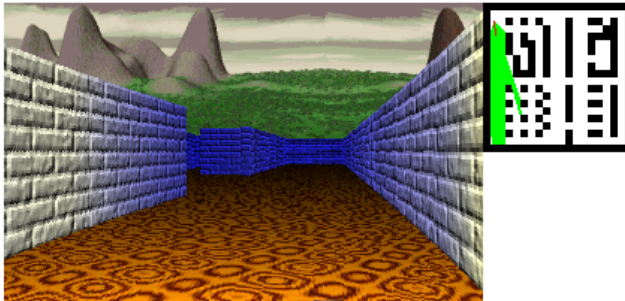
RJA Dec18

The permadi.com raycasting Tutorial is great, but need more visualization to understand math



Ray Casting Techniques Demo Series - Part 5

This is a ray casting demo, to be used as a companion to the Ray Casting Tutorial at <https://permadi.com/1996/05/ray-casting-tutorial-table-of-contents/>



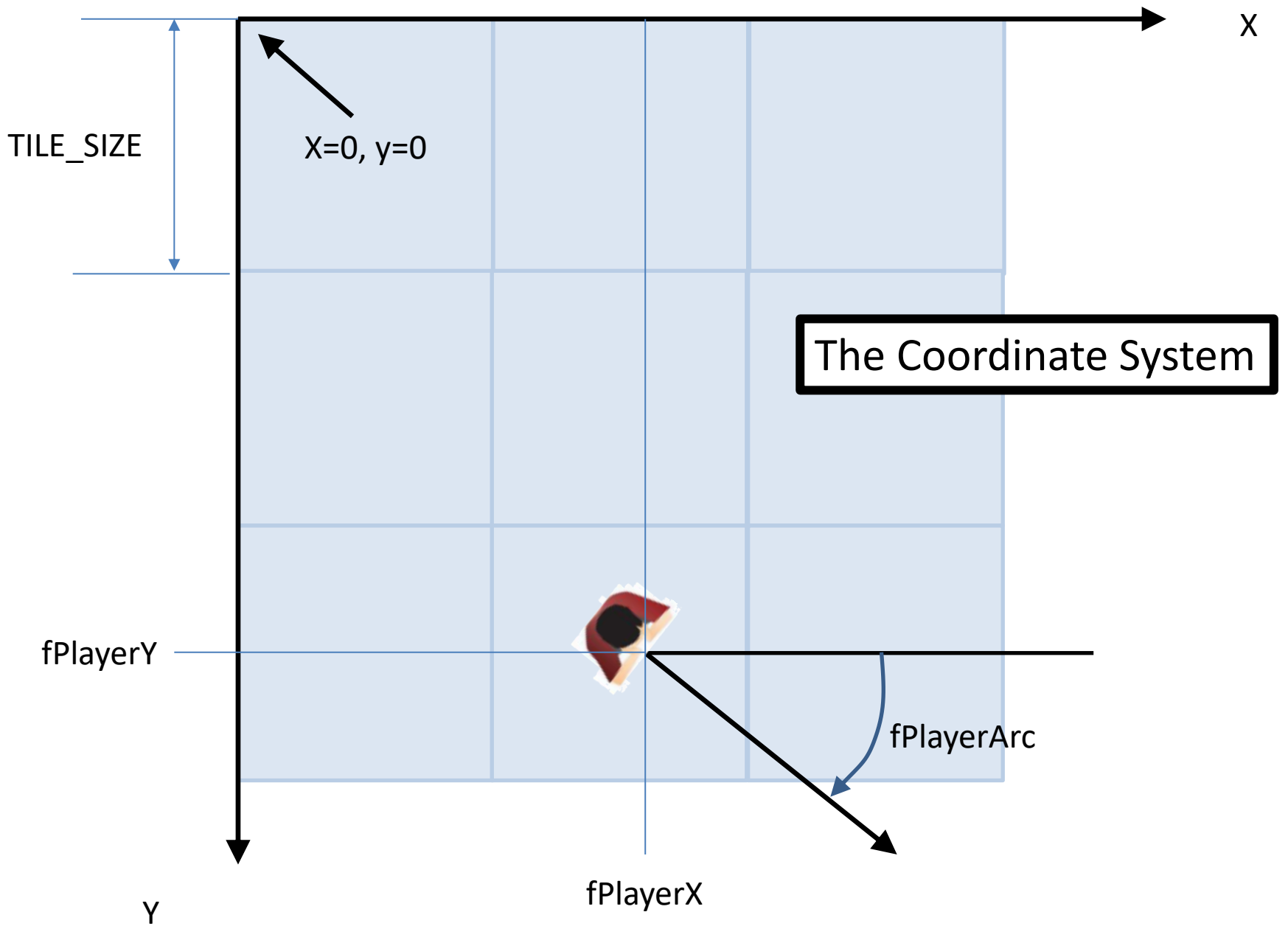
Fifth in a series of ray casting demos:

Panoramic background using prerendered bitmap.

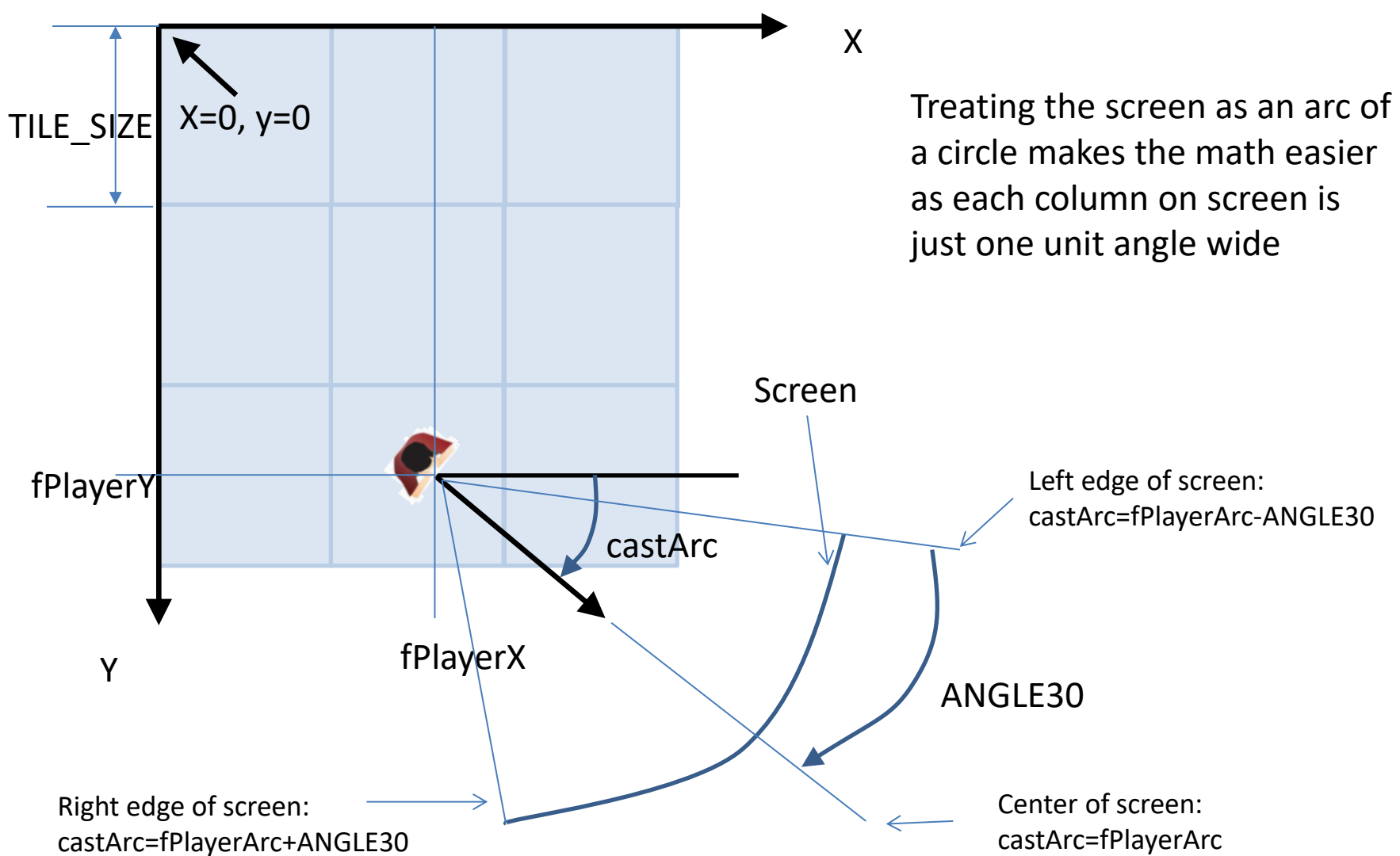
To move around, use the arrow keys on your keyboard or the W,A,S,D keys.

Checkout the source and other demos in the series in the [Git Hub](#) repository

Note: Be sure to read the tutorial: <https://permadi.com/1996/05/ray-casting-tutorial-table-of-contents/>

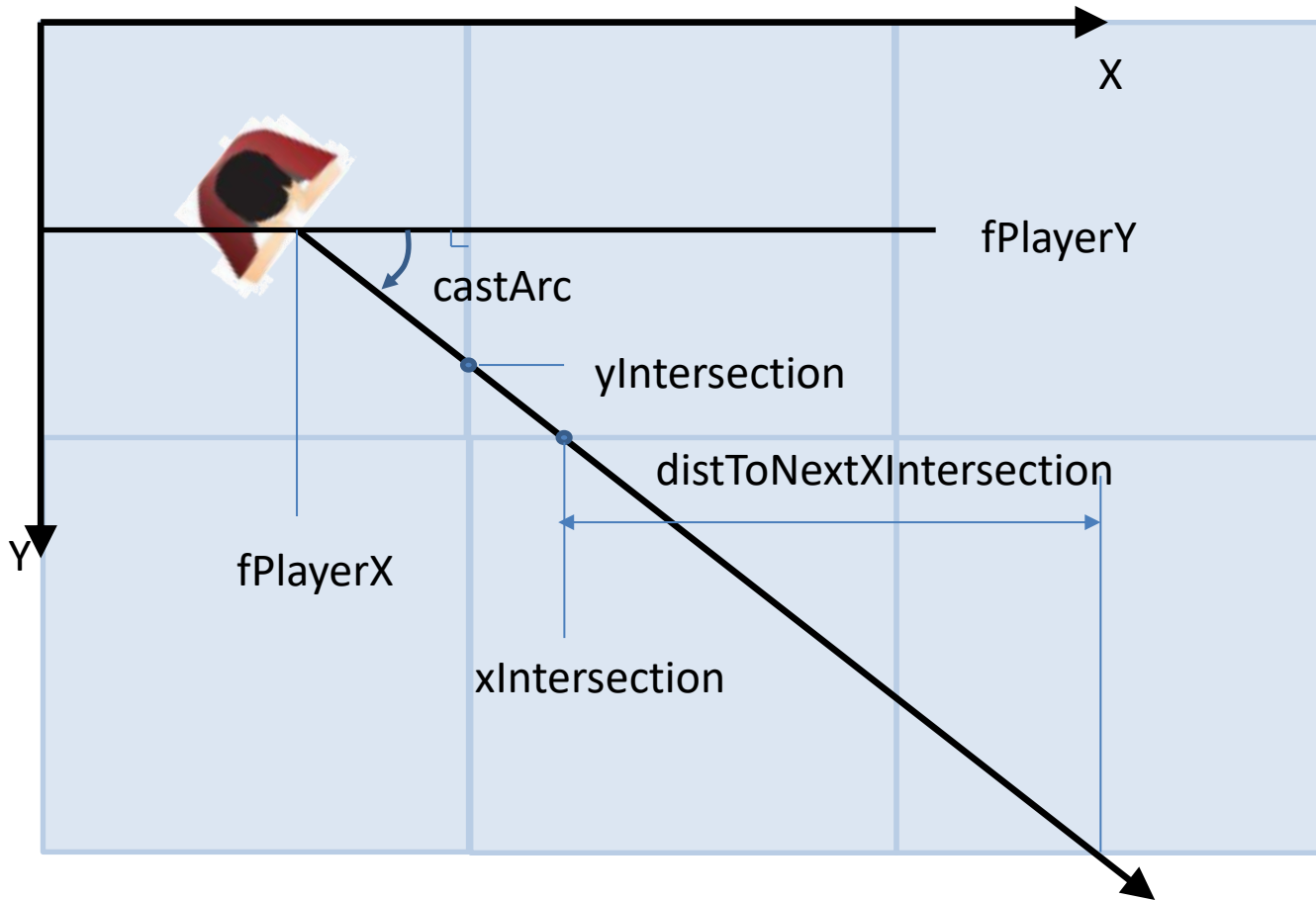


Note: Y axis goes down instead of the usual up. Same way screen data stored memory.



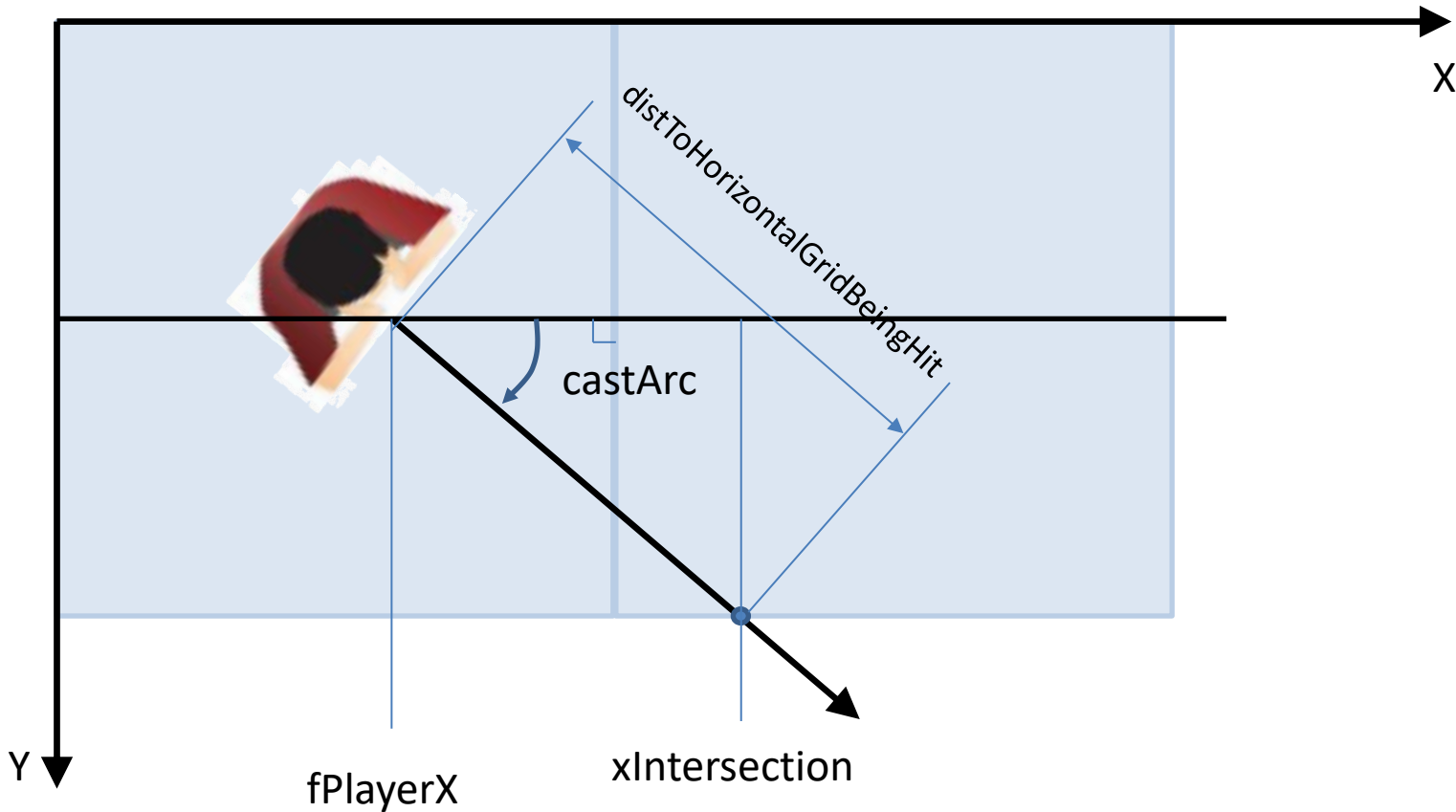
- The projections screen represents a 60 degree field of view, maps directly to PROJECTIONPLANEWIDTH
- Each column on screen represents one angular unit from $\text{fPlayerArc} - \text{ANGLE30}$ to $\text{fPlayerArc} + \text{ANGLE30}$
- Initialize: $\text{castArc} = \text{fPlayerArc} - \text{ANGLE30}$
- Note that ANGLE60 is equal to number of columns on screen (320 in this example).
- The main loop is over columns on the screen (from 0 to 319), iteration variable is castColumn
- At end of loop, we do $\text{castArc}++$ to increment angle
- Note: Pretending screen is curved causes a “fish bowl” distortion that is corrected for before drawing to screen

For each castArc, we find first intersection of our cast ray with vertical and horizontal walls



- If the first intersections we find are an opening on map and not a wall, just add a fixed number (from a table) to get next intersection:
 - `distToNextXIntersection = this.fXStepTable[castArc];`
 - `xIntersection += distToNextXIntersection;`
- We repeat this in a loop until we find both x and y nearest walls

We use 1/cos table (fICosTable) to calculate distance from player to xIntersection

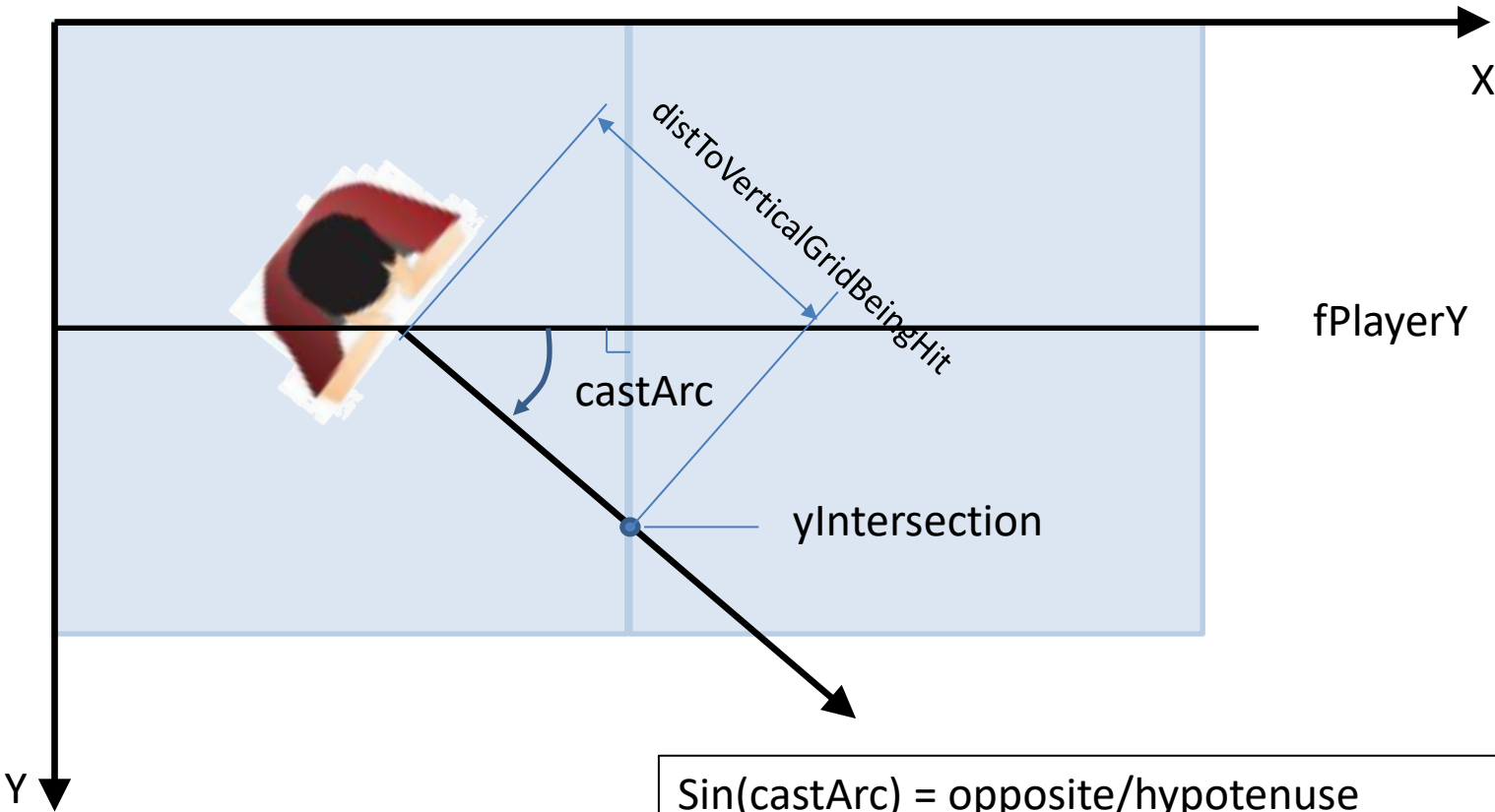


$\text{Cos}(\text{castArc}) = \text{adjacent}/\text{hypotenuse}$
 $\text{Adjacent} = \text{xIntersection} - \text{fPlayerX}$
 $\text{Hypotenuse} = \text{distToHorizontalGridBeingHit}$
 $\text{distToHorizontalGridBeingHit} = \text{adjacent}/\text{Cos}(\text{castArc})$

`distToHorizontalGridBeingHit = (xIntersection - this.fPlayerX) * this.fICosTable[castArc];`

\swarrow `fICos=1/cos`

Similarly, use 1/sin table to calculate distance from player to yIntersection

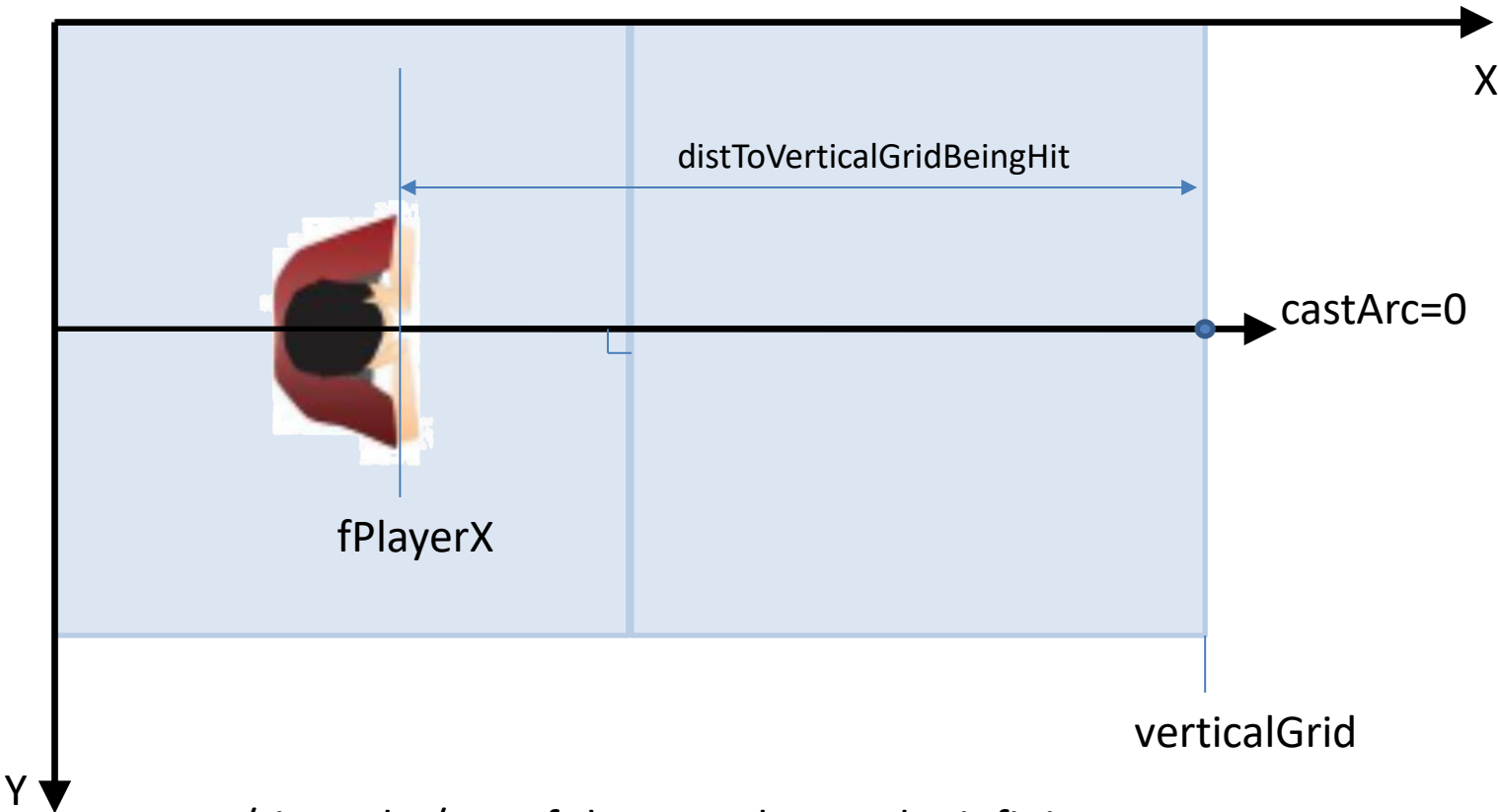


$$\begin{aligned} \text{Sin}(\text{castArc}) &= \text{opposite/hypotenuse} \\ \text{Opposite} &= \text{yIntersection} - \text{fPlayerY} \\ \text{Hypotenuse} &= \text{distToVerticalGridBeingHit} \\ \text{distToVerticalGridBeingHit} &= \text{opposite} / \text{Sin}(\text{castArc}) \end{aligned}$$

```
distToVerticalGridBeingHit = (yIntersection - this.fPlayerY) * this.fISinTable[castArc];
```

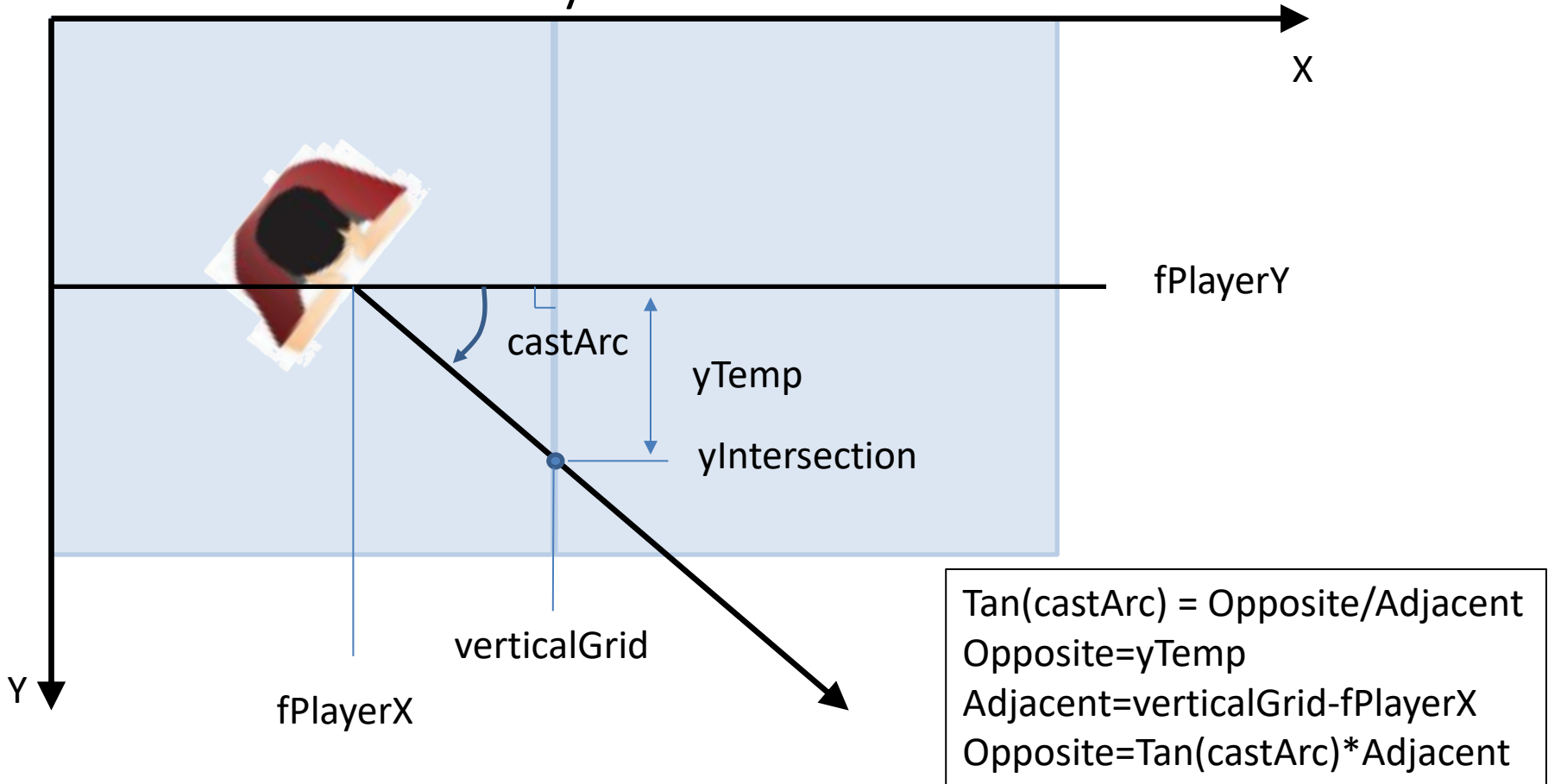
\swarrow ISin=1/sin

Need to handle angles 0, 90, 180 and 270 with care



- $1/\sin$ and $1/\cos$ of these angles can be infinite
- The javascript example adds a hair to each angle in table
 - Trig value comes out very large instead of infinite
- Large value times tiny value of $(y_{\text{Intersection}} - f_{\text{Playery}})$ turns out OK
- Possibly a better way is to simply use:
 - Angle=0: $\text{distToVerticalGridBeingHit} = \text{verticalGrid} - f_{\text{PlayerX}}$
 - Angle=180: $\text{distToVerticalGridBeingHit} = f_{\text{PlayerX}} - \text{verticalGrid}$

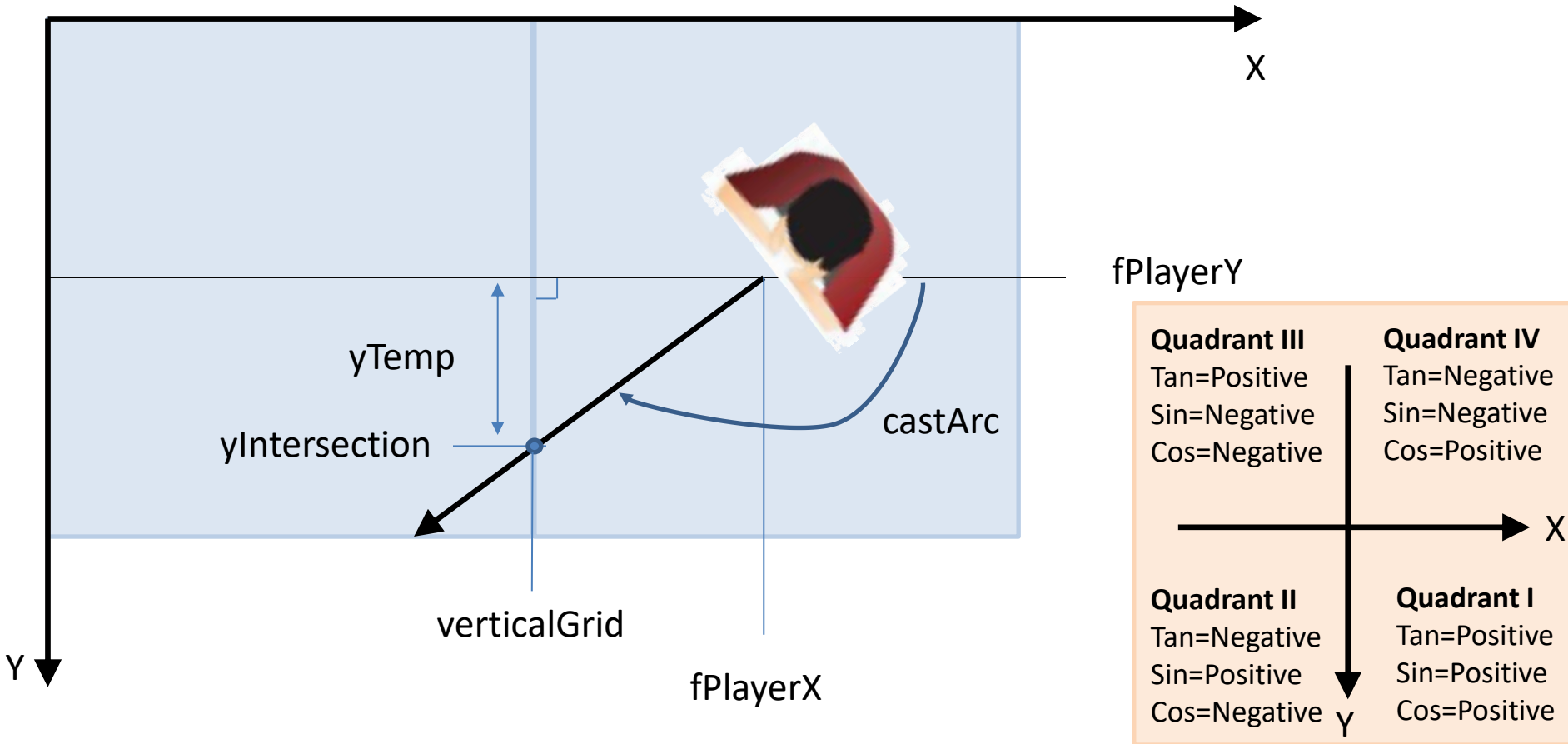
Finding **yIntersection facing right**, the y-coordinate of first intersection of the ray with a vertical wall



For ray **Facing Right** ($castArc < ANGLE90$) OR ($castArc > ANGLE270$):

$verticalGrid = TILE_SIZE + floor(fPlayerX / TILE_SIZE) * TILE_SIZE$
 $yTemp = Tan(castArc) * (verticalGrid - fPlayerX)$
 $yIntersection = fPlayerY + yTemp$

When Facing Left (Quadrants II and III): verticalGrid is TILE_SIZE smaller



For ray facing left ($\text{castArc} > \text{ANGLE90}$) AND ($\text{castArc} < \text{ANGLE270}$):

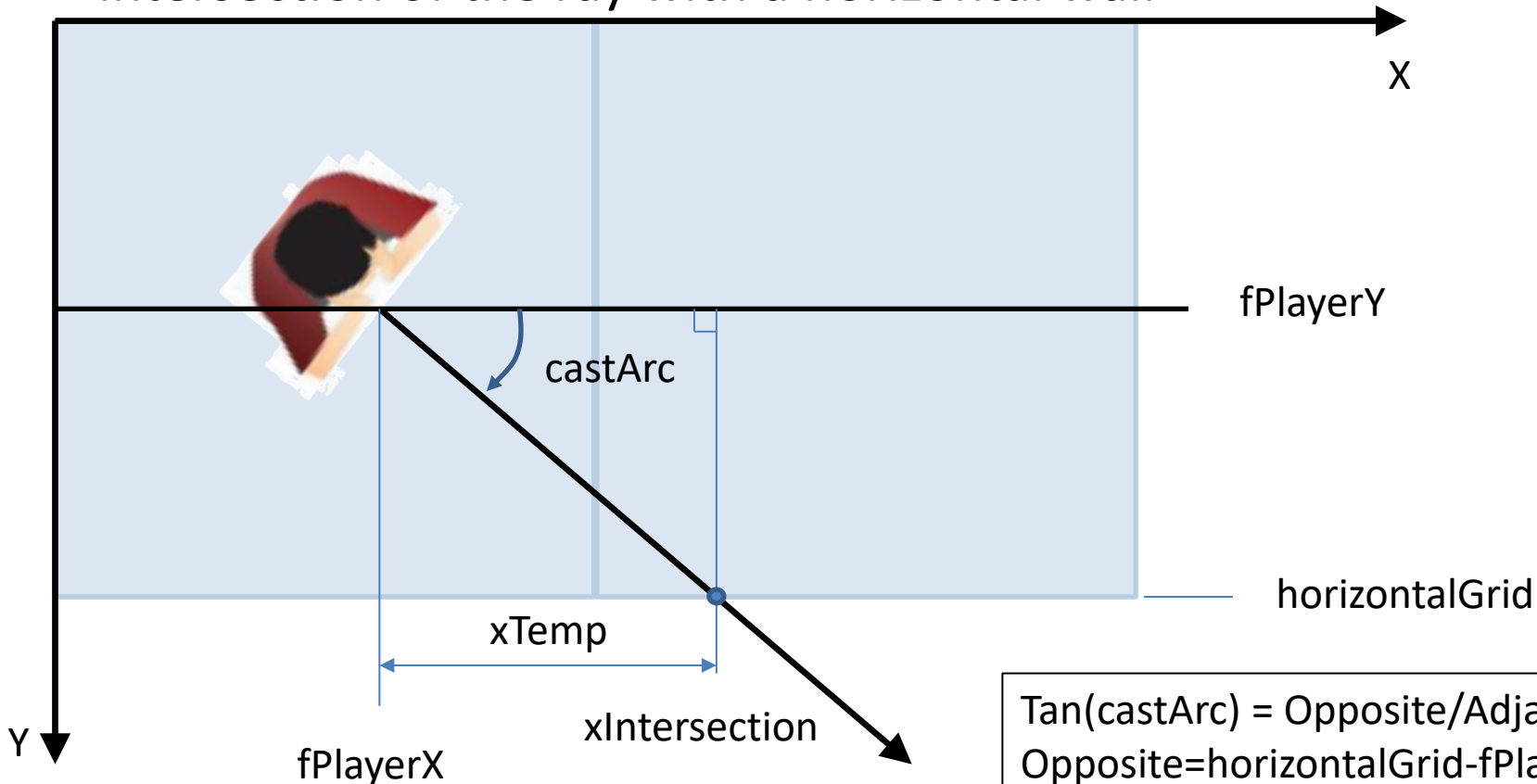
$$\text{verticalGrid} = \text{floor}(\text{fPlayerX} / \text{TILE_SIZE}) * \text{TILE_SIZE}$$

$$\text{yTemp} = \text{Tan}(\text{castArc}) * (\text{verticalGrid} - \text{fPlayerX})$$

$$\text{yIntersection} = \text{fPlayerY} + \text{yTemp}$$

Negative * negative in Quadrant II

Finding **xIntersection facing down**, the x-coordinate of first intersection of the ray with a horizontal wall



$$\begin{aligned} \tan(castArc) &= \text{Opposite}/\text{Adjacent} \\ \text{Opposite} &= horizontalGrid - fPlayerY \\ \text{Adjacent} &= xTemp \\ \text{Adjacent} &= \text{Opposite}/\tan(castArc) \end{aligned}$$

For ray **Facing Down** ($castArc > ANGLE0$) AND ($castArc < ANGLE180$):

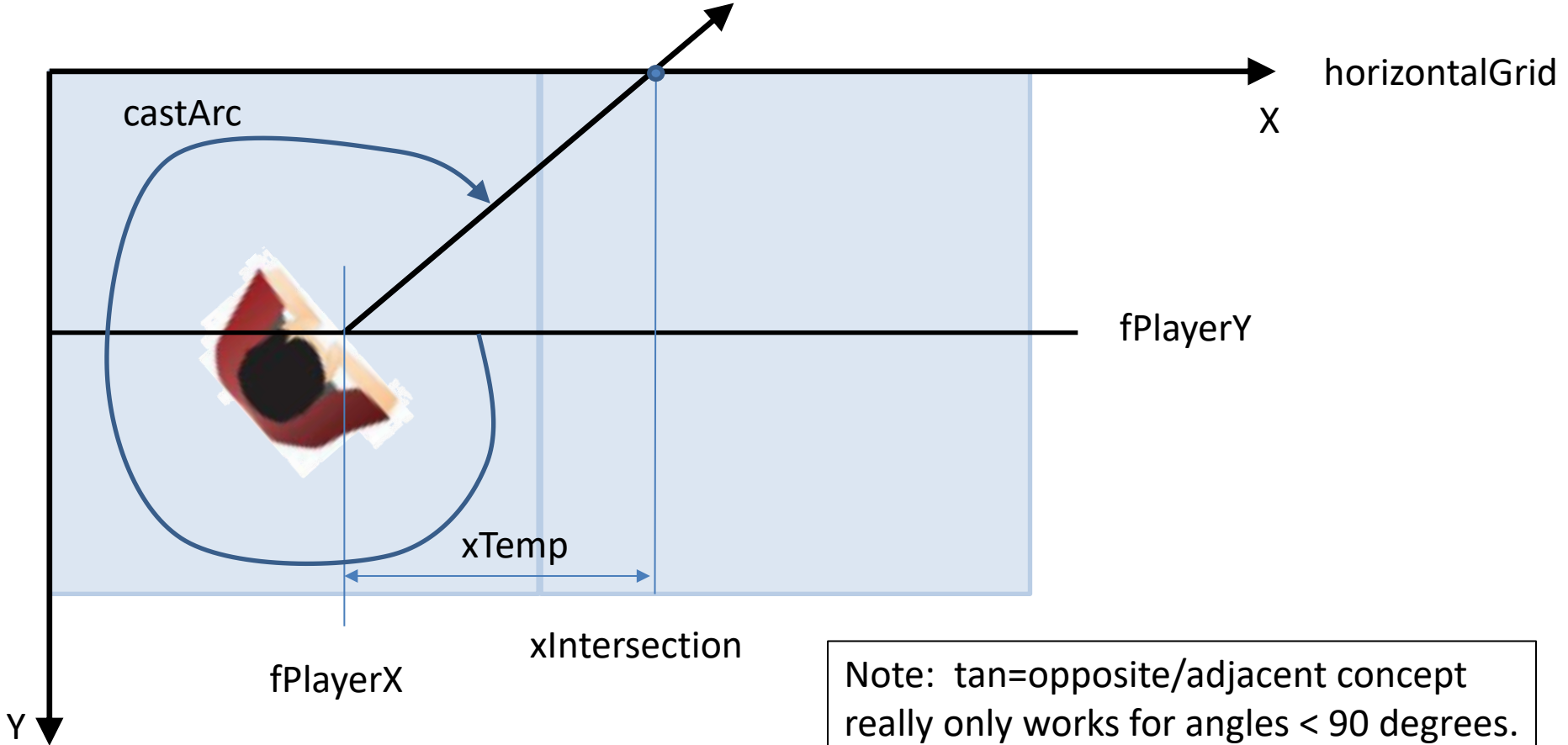
$$horizontalGrid = TILE_SIZE + \text{floor}(fPlayerY / TILE_SIZE) * TILE_SIZE$$

$$xTemp = (horizontalGrid - fPlayerY) / \tan(castArc)$$

$$xIntersection = fPlayerX + xTemp$$

Note: Code actually multiplies by $1/\tan$ table ($fITanTable$)

Finding **xIntersection facing up**, the x-coordinate of first intersection of the ray with a horizontal wall



Note: $\tan = \text{opposite} / \text{adjacent}$ concept really only works for angles < 90 degrees. But, math still works in similar way.

For ray **Facing UP**:

$$horizontalGrid = \text{floor}(fPlayerY / TILE_SIZE) * TILE_SIZE$$

$$xTemp = (horizontalGrid - fPlayerY) / \tan(castArc)$$

$$xIntersection = fPlayerX + xTemp$$

Note: Code actually multiplies by $1/\tan$ table ($fITanTable$)